

Advice on student self-placement into mathematics courses

During first-year student orientation this fall there will be a “Math GE Fulfillment Exam” that can be used by students to fulfill the Math GE requirement and/or place out of certain major/minor math requirements; at the same time, it will provide a suggestion regarding what math course you might take next. However, the exam is not needed to enroll in a course: students are allowed “self-place” based on their high school preparation.

If you are wondering what math course to take next, the following rough guidelines may be helpful.

If you have	then you should take
not taken precalculus yet	Math 023: Transcendental Functions (Precalculus)
taken precalculus, but no calculus	Math 030: Calculus I
taken Calculus AB	Math 031: Calculus II
taken Calculus BC	Math 032: Calculus III or Math 060: Linear Algebra*

*Note that Math 060 acts as a transition course from more calculational to more theoretical mathematics in the Claremont curriculum. The Computer Science major at Harvey Mudd requires Math 060; such students occasionally prefer to take Math 060 directly (i.e., without taking Math 032).

We have also provided a list (on the next page) of topics covered in each course to give more precise guidance on self-placement. Note that not all professors cover all topics listed: the more fundamental topics are italicized. If (and only if) you have already seen most of the topics, and *all of the italicized topics*, you should feel confident taking the next course.

Math Self-placement Guidelines: Course Topics

Math 023: Transcendental Functions	Math 030: Calculus I	Math 031: Calculus II
<i>absolute value; distance</i>	<i>absolute value</i>	<i>antiderivatives</i>
<i>solving equations; extraneous solutions</i>	<i>distance formula</i>	<i>Fundamental Theorem of Calculus I and II; Mean Value Theorem for integrals</i>
Zero Product Property	lines; perpendicular lines	<i>substitution for indefinite and definite integrals</i>
<i>distance in the plane</i>	vertical line test	<i>integration by parts</i>
midpoint formula	<i>radian measure</i>	trigonometric substitutions
<i>graphs of equations</i>	basic trigonometric identities	partial fraction decomposition
<i>lines: slope-intercept, point-slope, general form</i>	<i>limits; uniqueness of the limit</i>	numerical integration; bounding error
parallel lines, perpendicular lines	<i>continuity</i>	<i>comparison test for improper integrals</i>
circles	Intermediate Value Theorem	“disk-washer” formula for volume of a solid of revolution
<i>techniques for solving equations</i>	limits and sequences	method of cylindrical shells
<i>inequalities</i>	Monotonic Convergence Theorem	applications to economics and physics
where is a polynomial positive or negative	<i>differentiation</i>	arc length formulas
<i>functions; domain, range, image; equations determining functions</i>	<i>Power rule</i>	surface area of a surface of revolution
<i>graphs of functions; vertical line test; piecewise-defined functions.</i>	<i>differentiability and continuity</i>	method of integrating factors
maximum value; increasing functions; average rate of change of a function	<i>product rule; quotient rule</i>	<i>limits of sequences; squeeze theorem</i>
translations, dilations, reflections, and symmetry	<i>chain rule</i>	Monotonic Sequence theorem
<i>composition of functions</i>	<i>related rates</i>	<i>geometric series; divergence test (n-th term test)</i>
<i>inverse functions; horizontal line test; one-to-one functions</i>	<i>differentiation of inverse functions</i>	<i>integral test, basic comparison test, limit comparison test; root test; ratio test</i>
<i>linear functions</i>	<i>higher derivatives</i>	<i>absolute convergence test; alternating series (Leibniz's) test</i>
<i>quadratic functions; vertex, axis of symmetry, extreme values</i>	<i>Mean Value Theorem</i>	<i>power series</i>
graphing polynomials	Implicit differentiation	<i>Taylor series; Lagrange remainder formula</i>
<i>rational functions: domain, intercepts, determining asymptotes; graphing</i>	“Fermat’s Theorem”	<i>Taylor’s theorem</i>
<i>exponential functions</i>	<i>First derivative test</i>	Differential equations: separation of variables, oscillations
<i>logarithmic functions</i>	Second derivative test; classification of extrema	
properties of logarithms	<i>L’Hopital’s rule</i>	
logarithmic and exponential equations and inequalities	Newton’s method	
<i>exponential growth and decay</i>	<i>antidifferentiation</i>	
<i>radian measure; arclength formula; sector angle formula</i>	<i>substitution</i>	
<i>trigonometric functions; trigonometric identities</i>	<i>antiderivative; indefinite integral</i>	
<i>common values of cosine, sine, tangent</i>	summation notation; right endpoint approximation	
addition and difference formulas	Riemann sums; <i>integrable functions; definite integral</i>	
double-angle and half-angle formulas	<i>Fundamental Theorems of Calculus</i>	
<i>inverse trigonometric functions</i>		
<i>Law of Sines</i>		
<i>Law of Cosines</i>		